

Optimal Grade Crossing Project Selection for Improved Running Time on Passenger Rail Corridors



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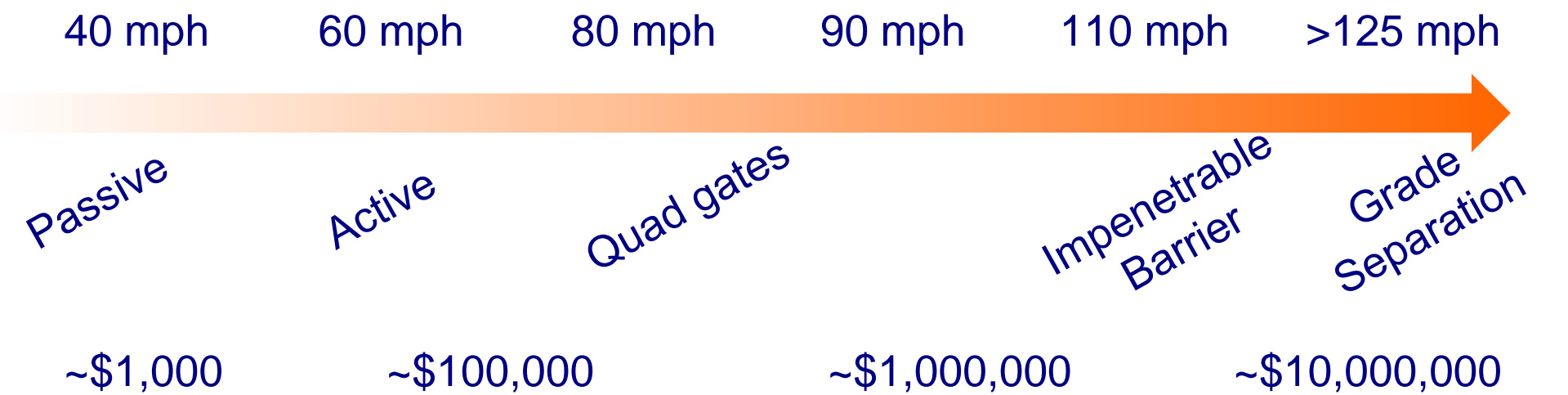
Global Level Crossing Safety Symposium - August 5th, 2014

Demand for Passenger Service Upgrades

- New Amtrak ridership record 10 of past 11 years... 31.6 million in FY13
- Amtrak ridership is growing faster than any major travel mode
- Continued interest in increasing the frequency and speed of intercity passenger rail service on shared rail corridors
- Increase passenger trains speed and frequency at grade crossings
- Passenger rail corridor development must be supported by investment in grade crossing infrastructure



Track Speed and Grade Crossing Upgrades



Corridor Improvements

Passenger rail corridor involves a series of integrated systems



<http://www.amtrak.com>
ROLLING STOCK



<http://www.illinoisrail.com>
GRADE CROSSINGS



TRACK
STRUCTURE &
GEOMETRY

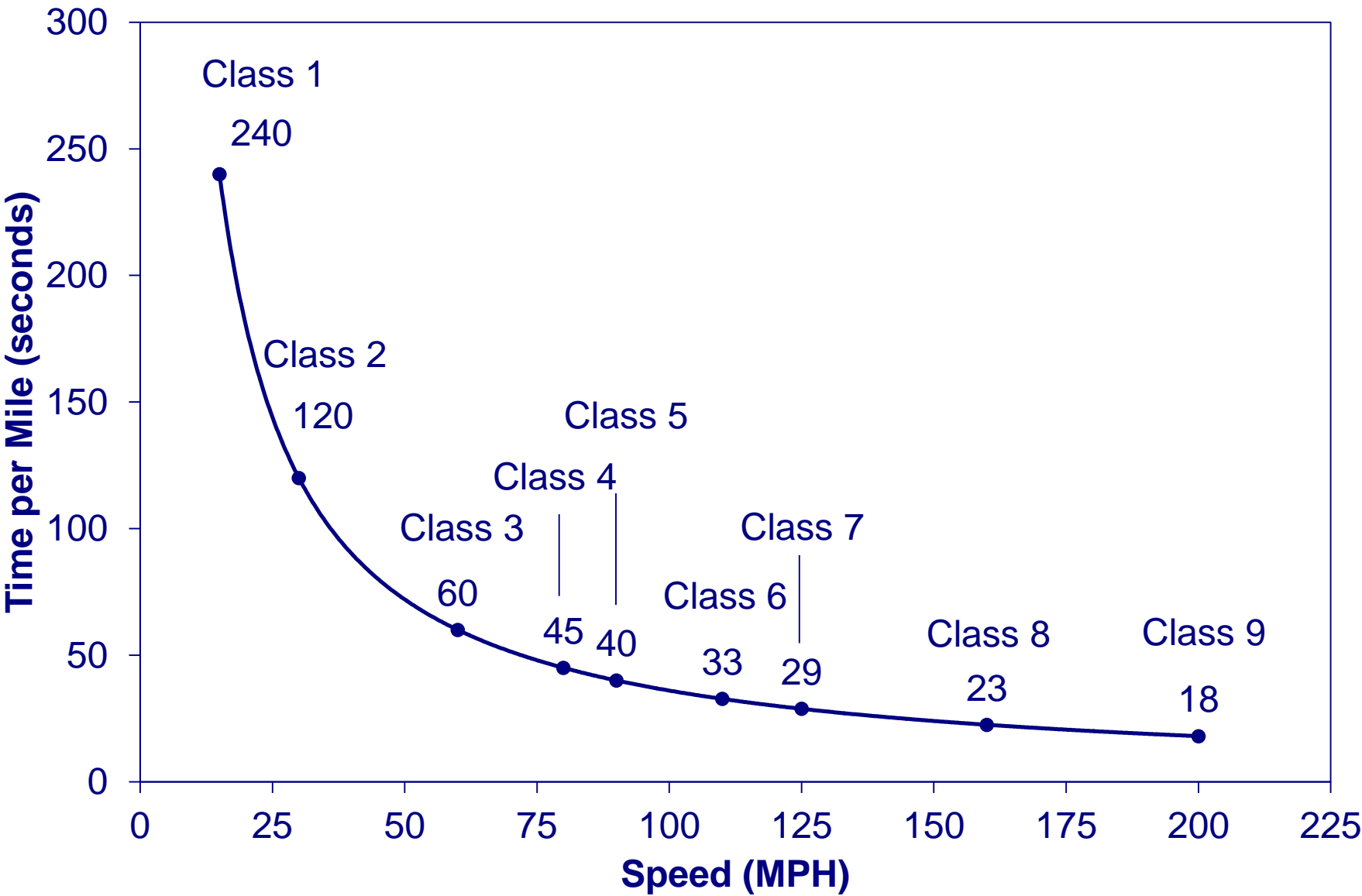


SPECIAL
TRACKWORK

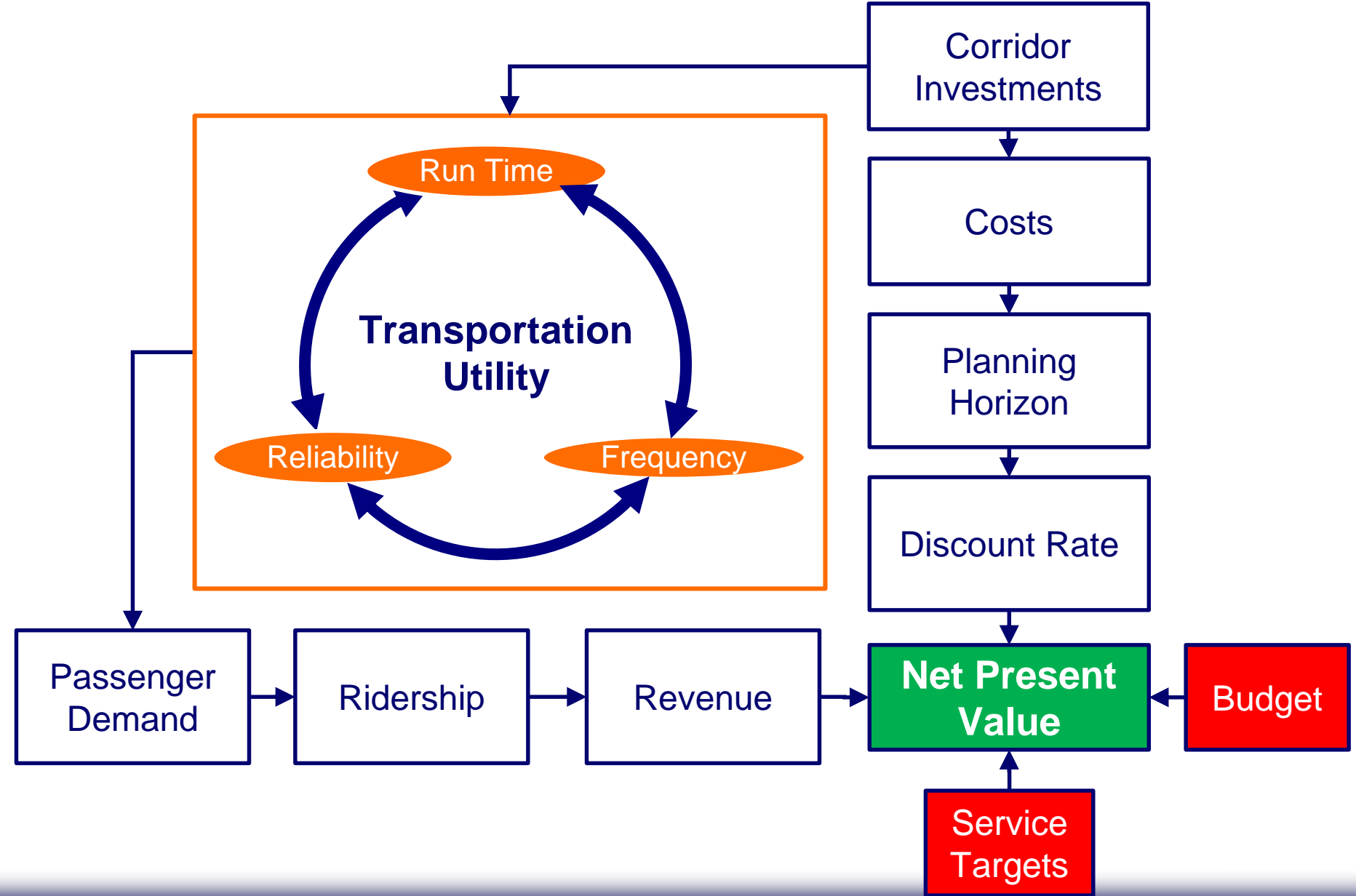


SIGNALS &
TRAIN CONTROL

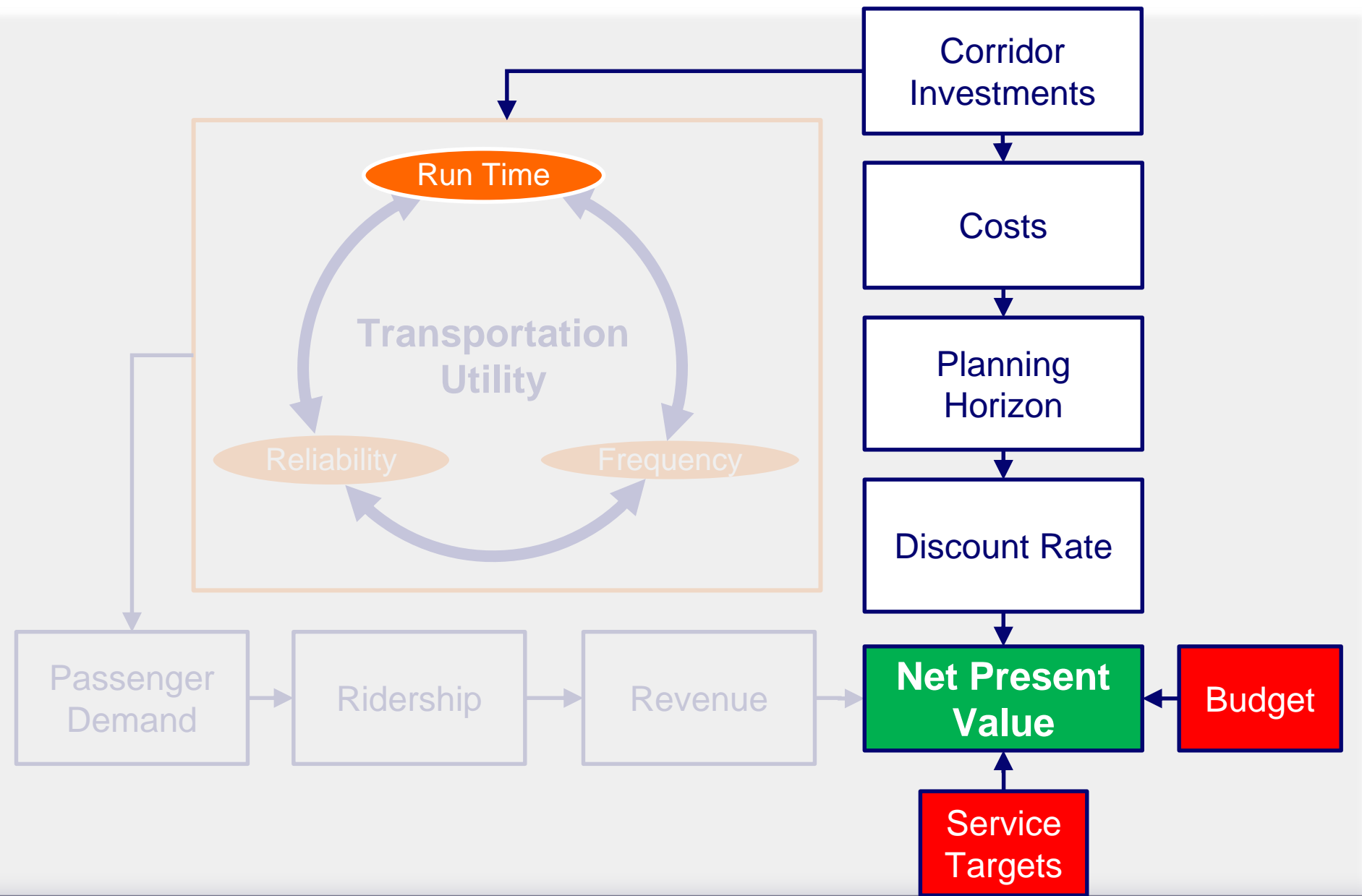
“Go Fast by Not Going Slow...”



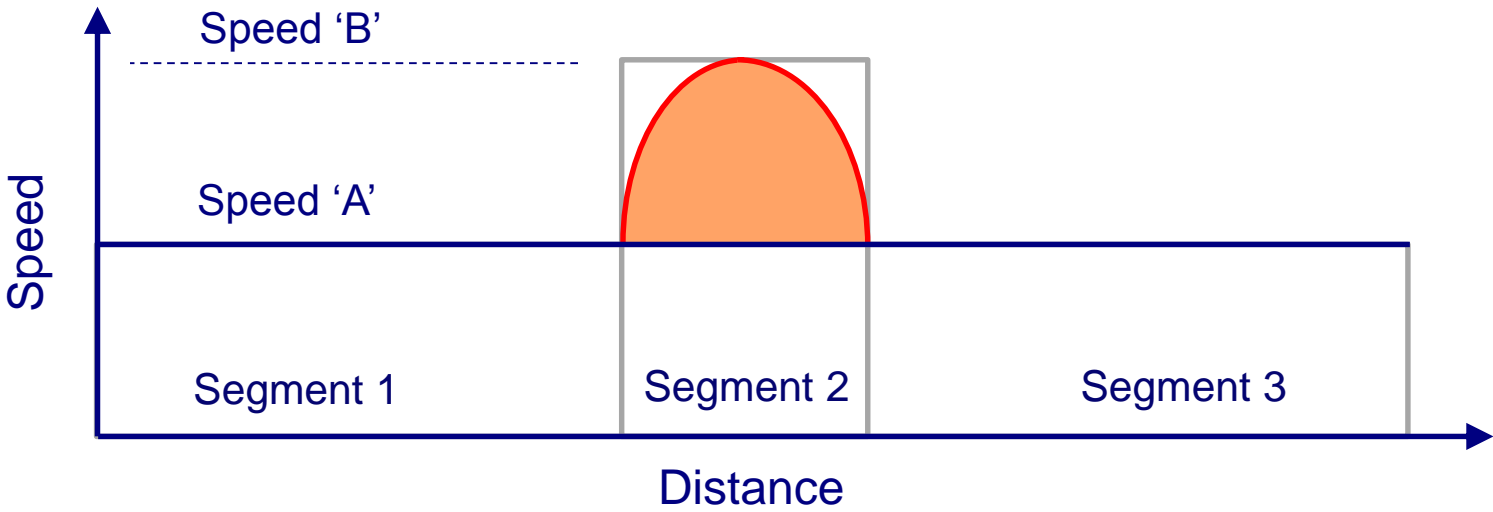
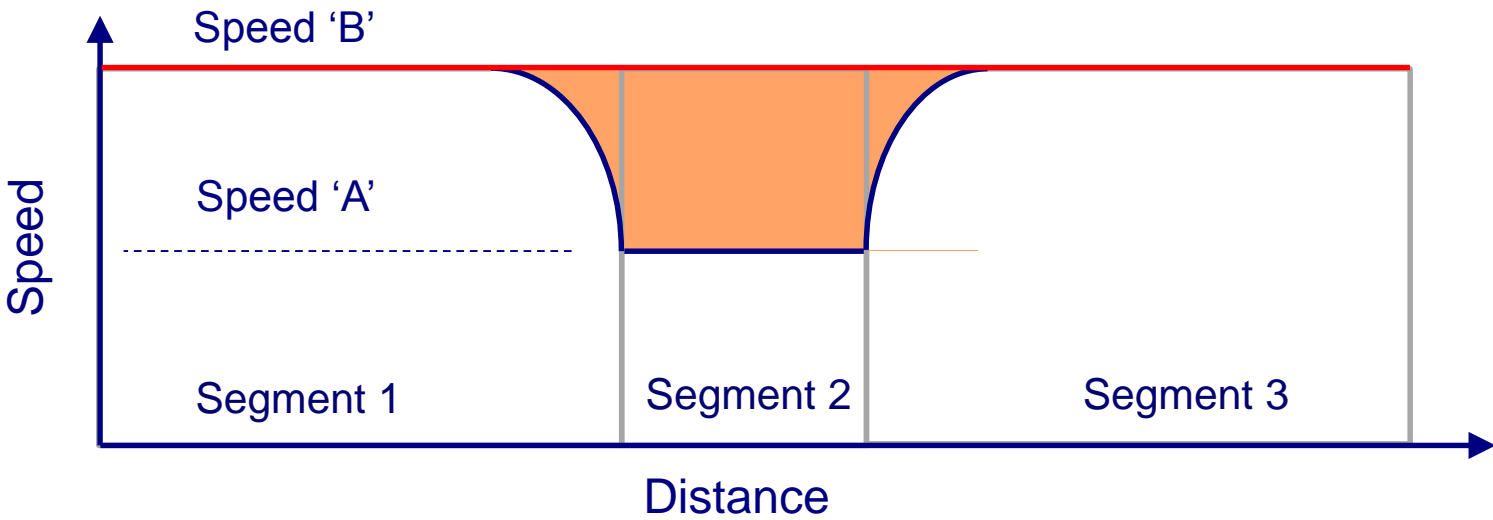
Ultimate Project Selection



Present Model Scope



Project Benefits Depend on Boundary Conditions



Opportunities to Reduce Running Time

- Improvements can be made to address schedule minimum run time and schedule reliability
- Improvement projects have different impacts on both schedule components

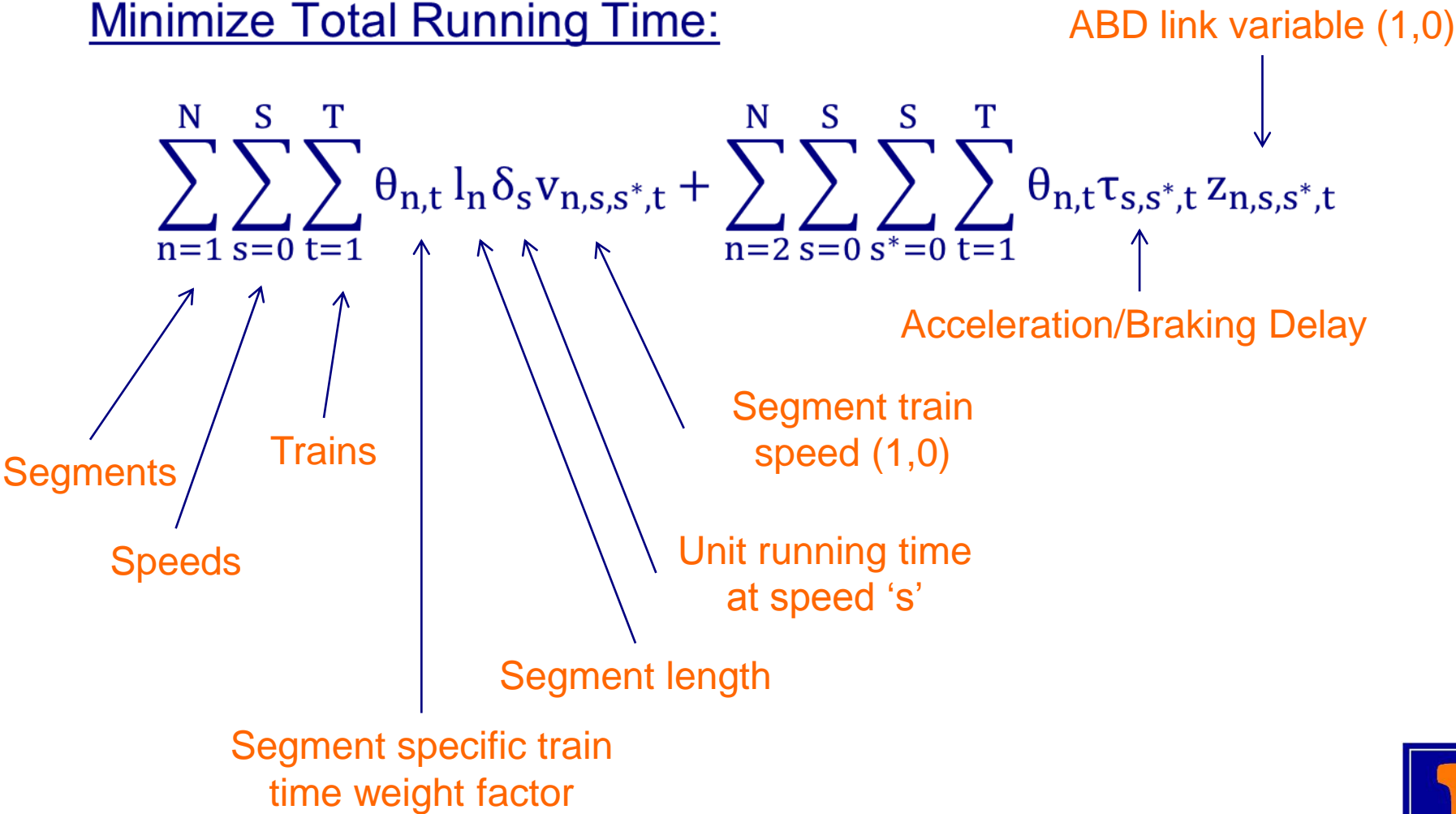
Schedule minimum run time **Schedule reliability (uncertainty)**

- Infrastructure
 - Track structure
 - Track geometry
 - Signals
 - **Grade crossings**
 - Rolling stock
 - Acceleration
 - Top speed
 - Curving performance
- Single vs. double track
 - Siding length and spacing
 - Capacity utilization
 - Existing capacity
 - Other rail traffic
 - Station dwell
 - Passenger delays



Model Objective Function

Minimize Total Running Time:



Model Constraints (1 of 2)

$\sum_{n=1}^N \sum_{c=0}^C x_{n,c} p_{n,c} \leq B$	Budget constraint	(2)
$\sum_{s=0}^S v_{n,s,t} \sigma_s \leq \sum_{c=0}^C x_{n,c} v_c$	Train speed < infrastructure speed	(3)
$z_{n,s,s^*,t} \leq v_{n,s^*,t} \quad \forall n, s, s^*, t$	Acceleration and braking link (1)	(4)
$z_{n,s,s^*,t} \leq v_{n-1,s,t} \quad \forall n, s, s^*, t$	Acceleration and braking link (2)	(5)
$z_{n,s,s^*,t} + 1 \geq V_{n,s^*,t} + V_{n-1,s,t} \quad \forall n, s, s^*, t$	Acceleration and braking link (3)	(6)
$l_n - a_{n,t} - b_{n+1,t} \geq 0 \quad \forall n, t$	Segment acceleration and braking dist.	(7)

Model Constraints (2 of 2)

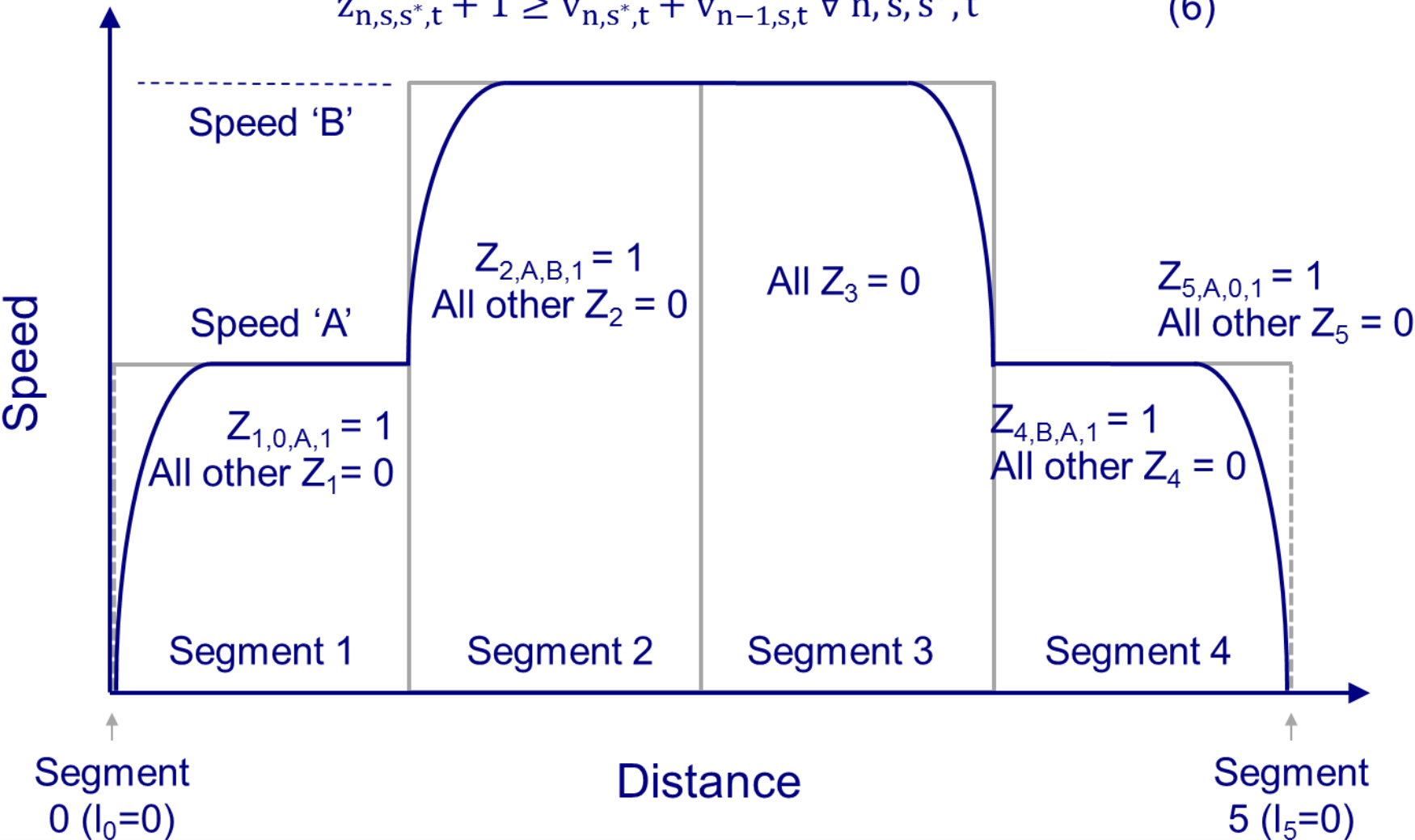
$b_{n,t} \geq \sum_{s=0}^S v_{n-1,s,t} \beta_{s,t} - v_{n,s,t} \beta_{s,t} \quad \forall 2 \leq n \leq N, t$	Braking distance	(8)
$a_{n,t} \geq \sum_{s=0}^S v_{n,s,t} \alpha_{s,t} - v_{n-1,s,t} \alpha_{s,t} \quad \forall 2 \leq n \leq N, t$	Acceleration distance	(9)
$\sum_{s=0}^S v_{n,s,t} \sigma_s \leq h_{n,t} \quad \forall n, t$	Station stopping constraint	(10)
$\sum_{s=0}^S v_{n,s,t} = 1 \quad \forall n, t$	One operating speed per service on each segment	(11)
$\sum_{c=0}^C x_{n,c} = 1 \quad \forall n$	One track maximum speed on each segment	(12)

Train Performance Calculator Constraints

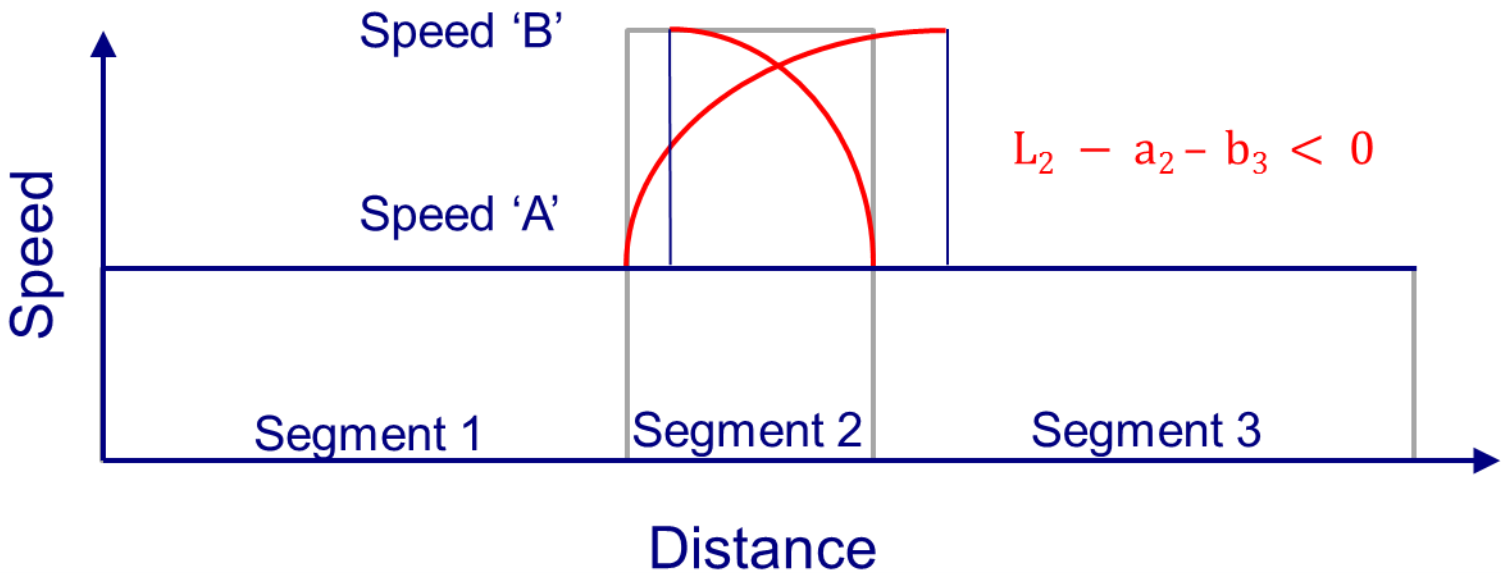
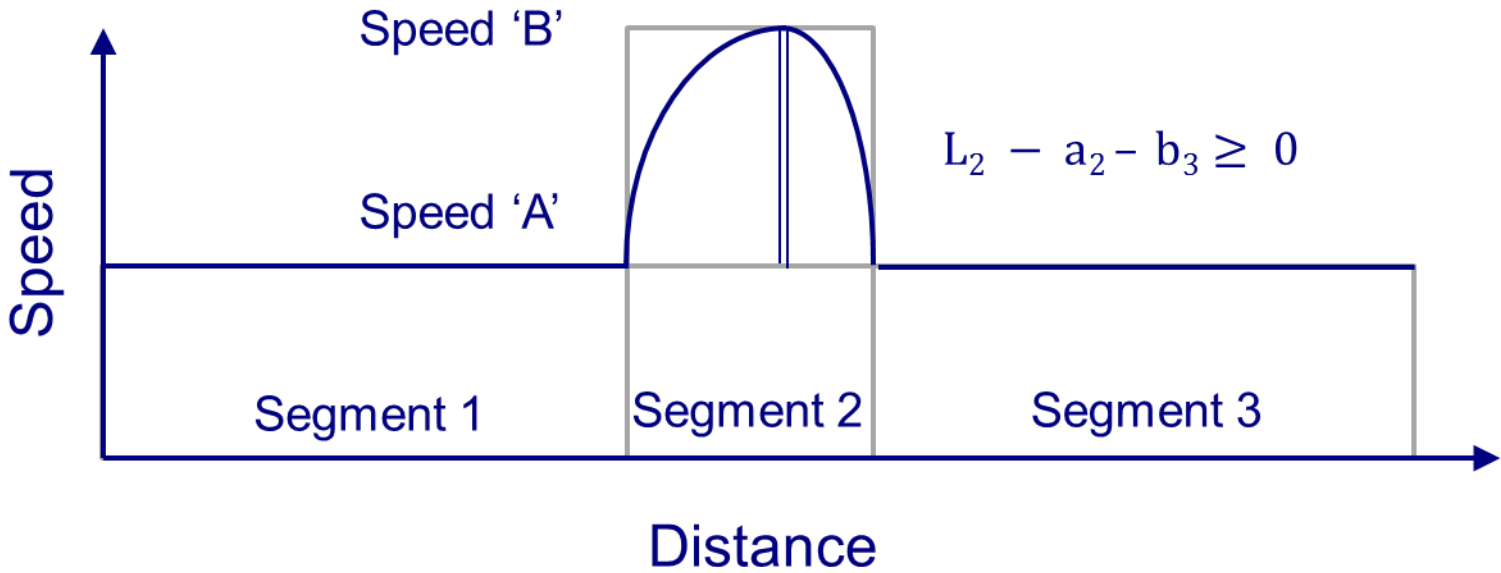
$$z_{n,s,s^*,t} \leq v_{n,s^*,t} \quad \forall n, s, s^*, t \tag{4}$$

$$z_{n,s,s^*,t} \leq v_{n-1,s,t} \quad \forall n, s, s^*, t \tag{5}$$

$$z_{n,s,s^*,t} + 1 \geq v_{n,s^*,t} + v_{n-1,s,t} \quad \forall n, s, s^*, t \tag{6}$$





Minimum Upgrade Length Constraints



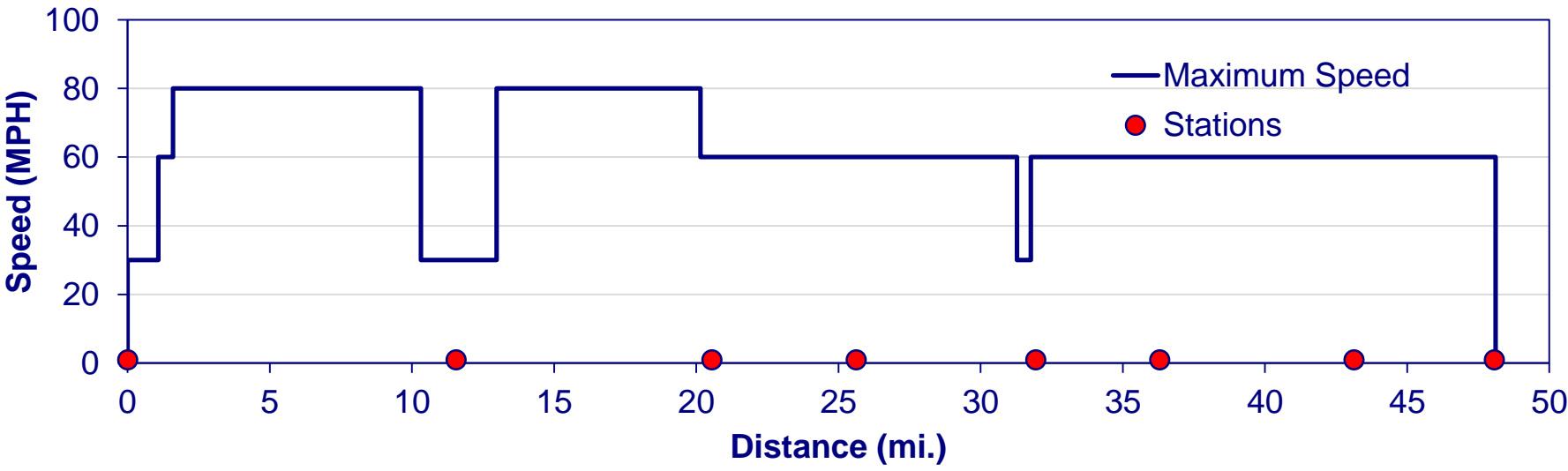
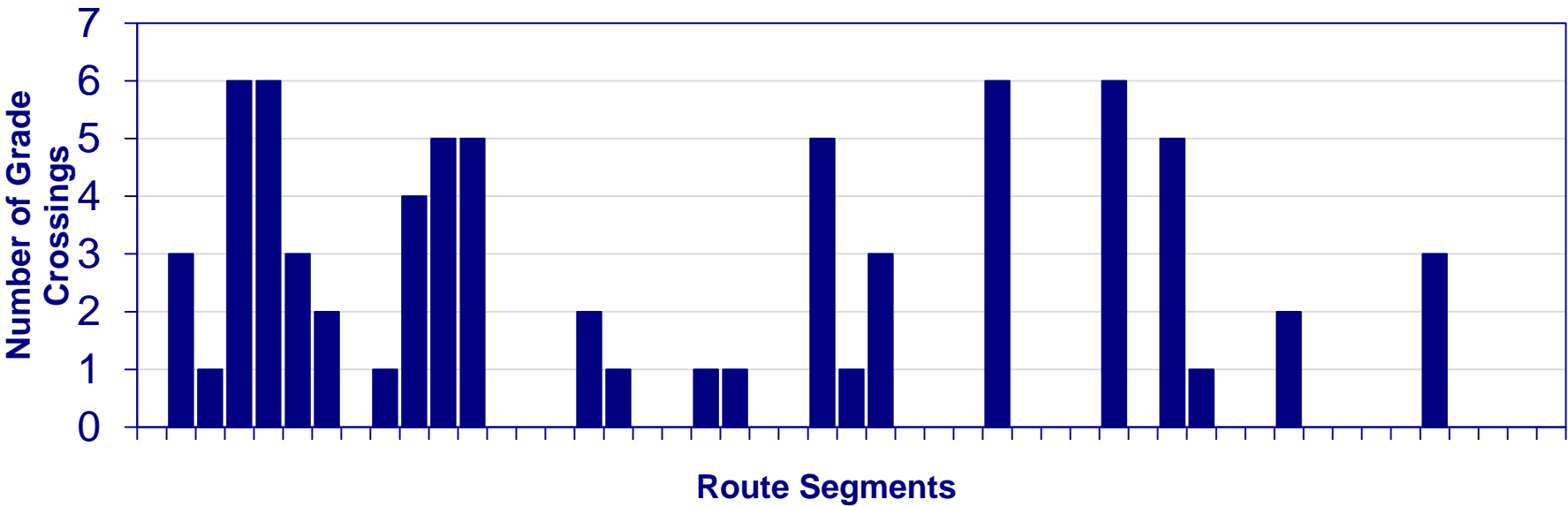
Case Study – Porter, IN to St. Joseph, MI

- One round trip frequency per day
- Route length of 176 mi
- 79 MPH maximum speed
- 44 MPH average speed (good case for improvement)
- Annual ridership 106,662 (FY ‘11)
- Selected segment from Porter to St. Joseph for current PSM case study
- Added hypothetical commuter rail service to demonstrate functionality of model

PERE MARQUETTE									
370	◀ Train Number ▶								371
Daily	◀ Normal Days of Operation ▶								Daily
	◀ On Board Service ▶								
Read Down	Mile	▼					Symbol	▲	Read Up
4 55P	0	Dp	Chicago, IL—Union Station (CT)				● & QR	Ar	10 38A
7 38P	89	↓	St. Joseph-Benton Harbor, MI (ET)				○ QR	↑	9 44A
8 14P	116		Bangor, MI (South Haven)				○		9 07A
8 56P	151		Holland, MI				○ & QR		8 26A
9 55P	176		Grand Rapids, MI (ET)				○ & QR		7 40A
		Ar						Dp	



Route Characteristics

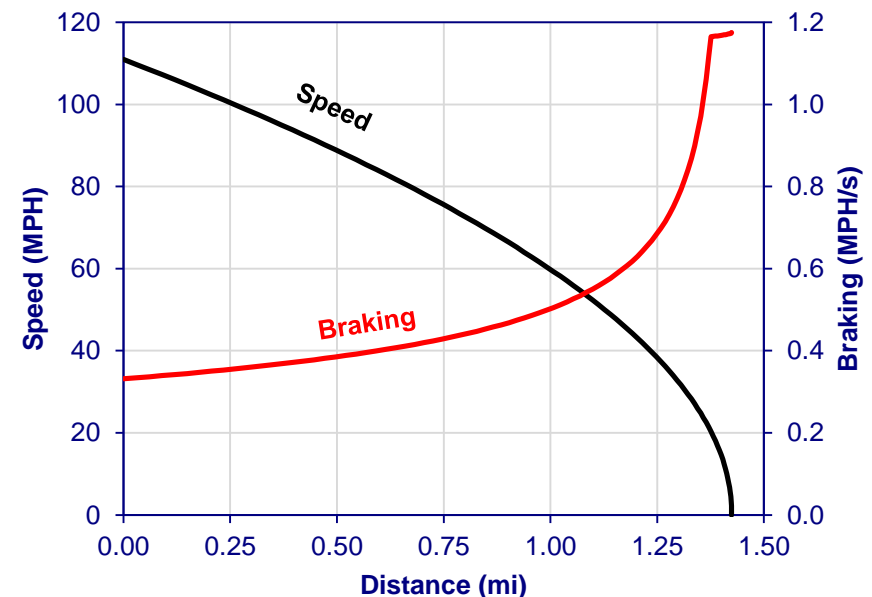
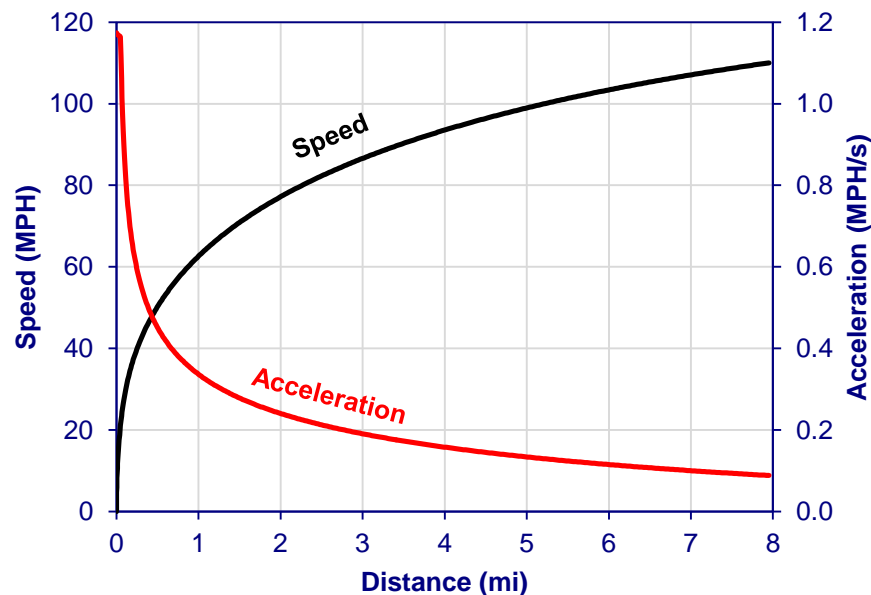


Upgrade Treatments

Track Class	Maximum Train Speed (MPH)	Track Structure	Signal System	Grade crossings / Misc.
Class 3	60	Replace 1/3 Cross Ties (wood), 136RE CWR, Surfacing		Curve shift
Class 4	80	Replace 1/3 Cross Ties (wood), 136RE CWR, Surfacing	CTC	Curve shift
Class 5	90	Replace 1/3 Cross Ties (wood), 136RE CWR, Surfacing	CTC/AT S/ATC	Curve shift, Four quad gate crossings
Class 6	110	Replace 2/3 Cross Ties (wood), 136RE CWR, Surfacing	CTC/AT S/ATC	Curve shift, four quad gate crossings with intrusion detection, fenced ROW

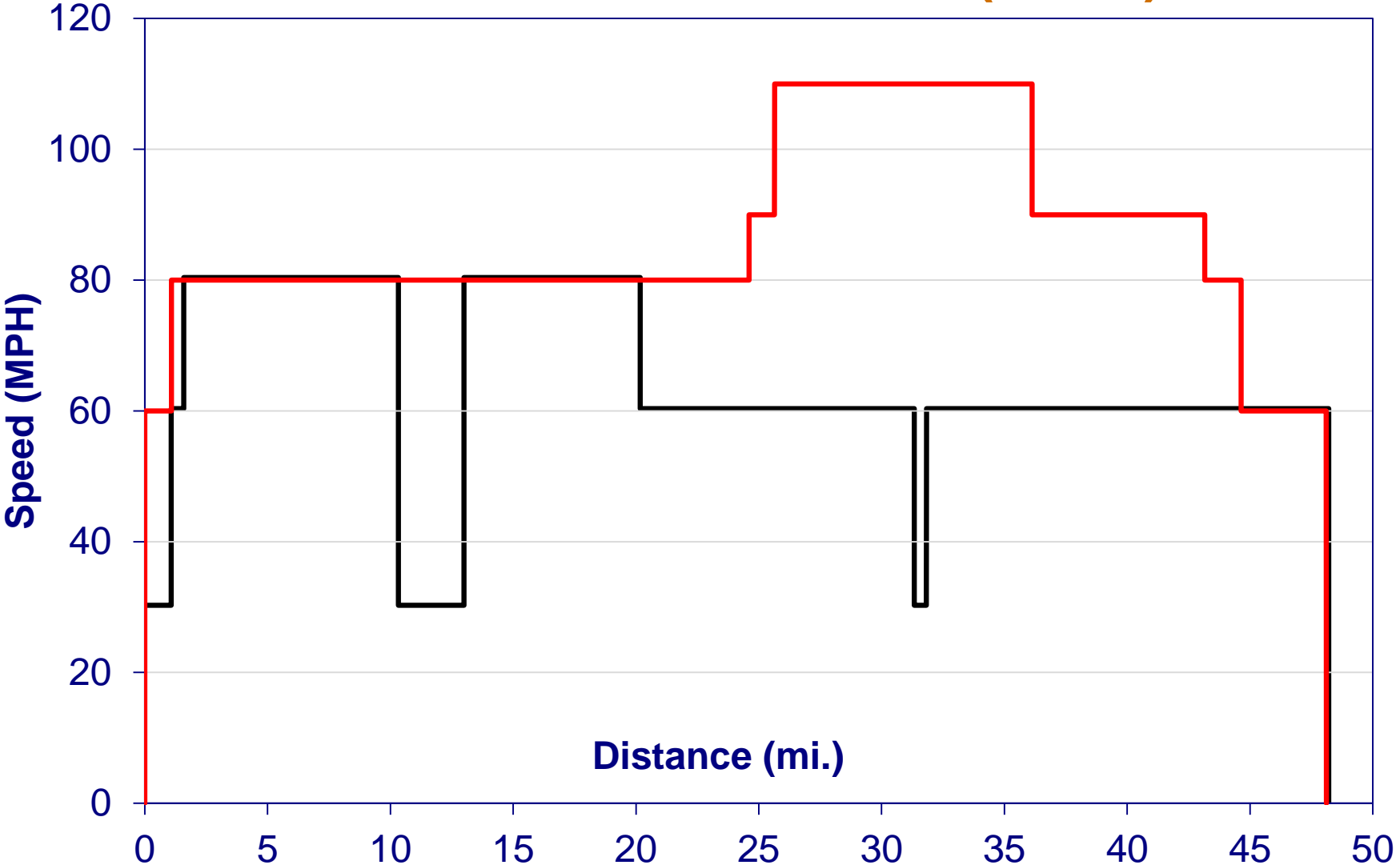
Case Study Input Parameters

- | | | |
|----------|---|------------------------------------------------------------------------|
| Inputs | { | • Capital costs from Quandel Consultants (2011) |
| | | • Maintenance costs from Zarembski et al (2002) |
| | | • Discount rate 5%, 10 year period |
| | | • Equal train running time weights ($\alpha_1 = \alpha_2$) |
| | | • Identical train consists for each service (1 loco, 6 coach, 1 NPCU*) |
| | | • Acceleration and braking performance from simplified TPC |
| Solution | { | • Mixed Integer Program (MIP) with GUROBI 5.0 solver |
| | | • 1-2 minutes to optimal solution for each scenario |

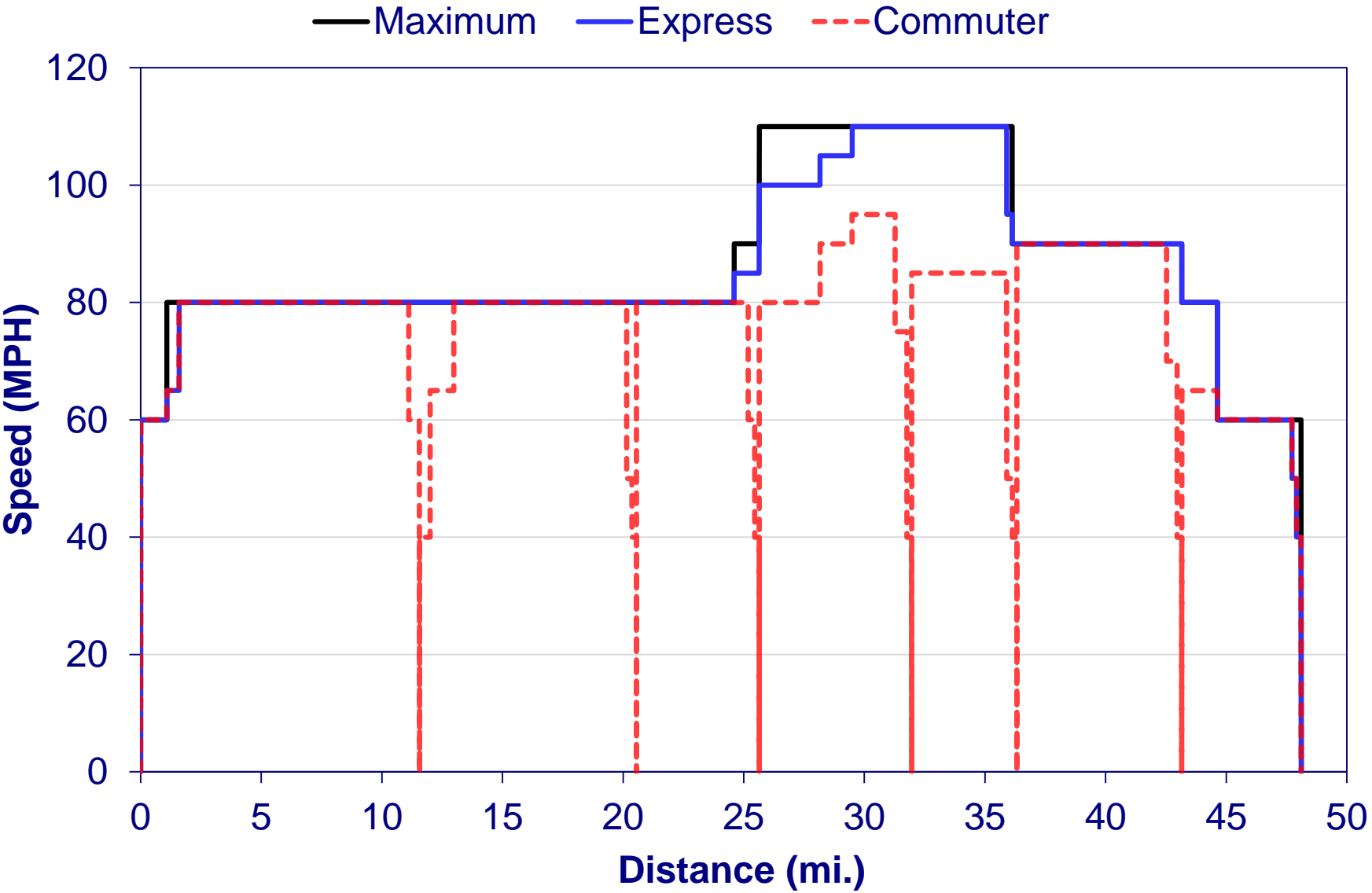


* NPCU = Non-Powered Cab Unit

Initial vs. Final Condition (\$45M)

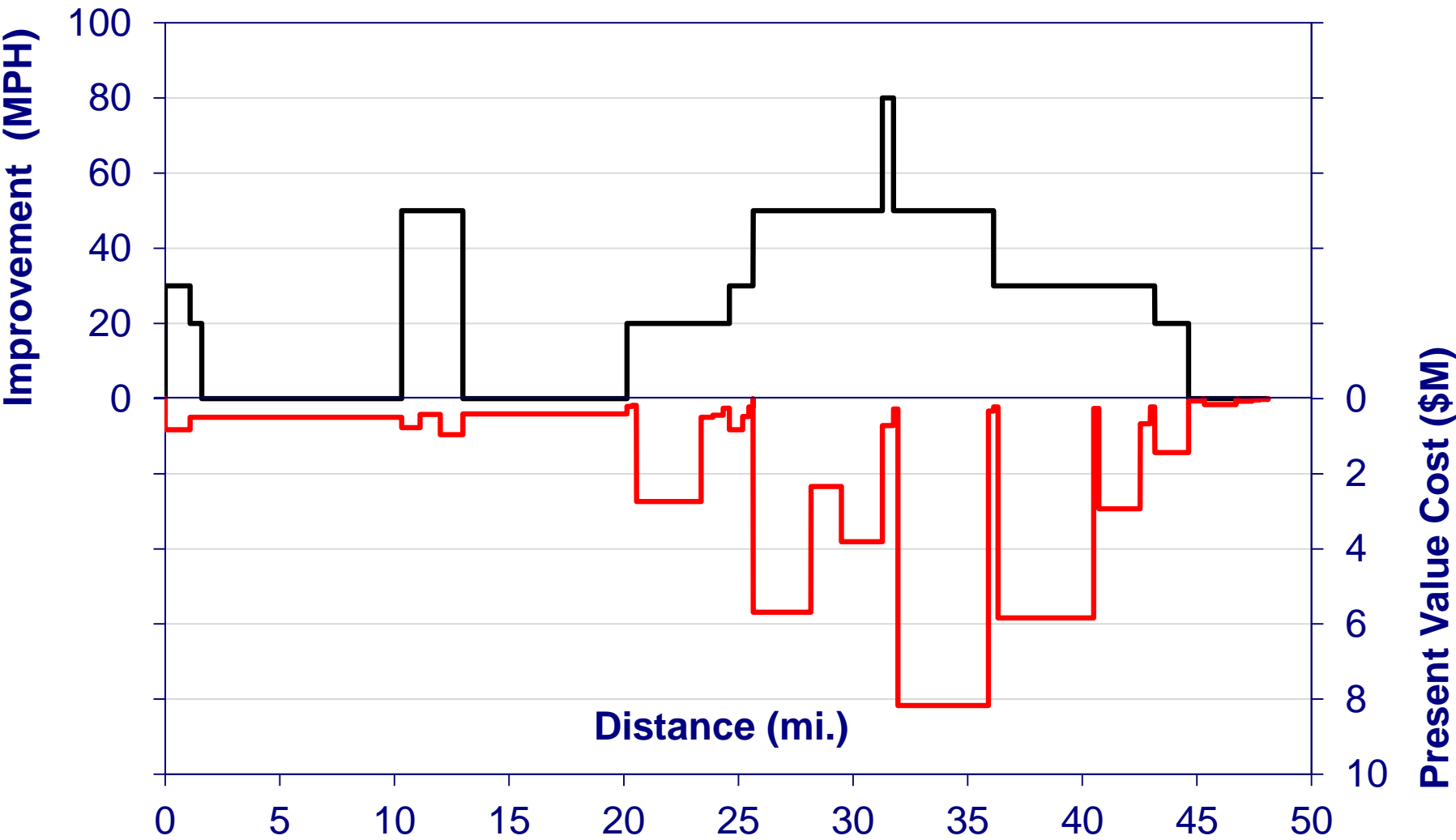


Service Speeds (\$45M)

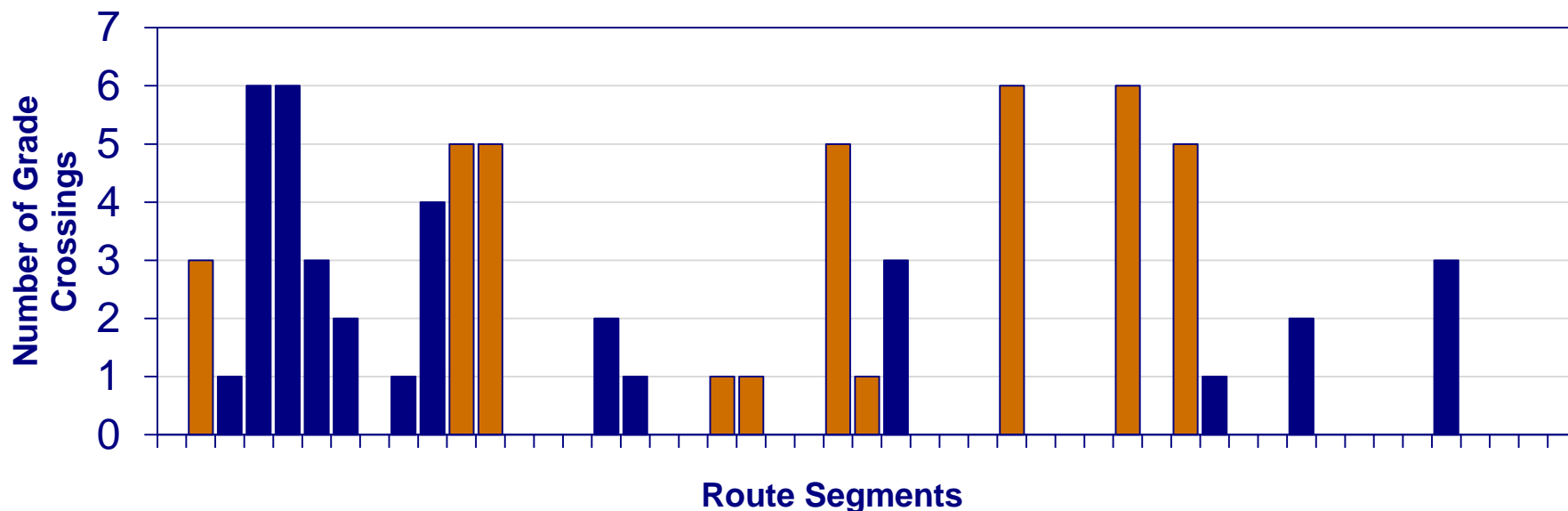


Change in Speed and Segment PV Cost (\$45M)

—Change in Speed —Cost

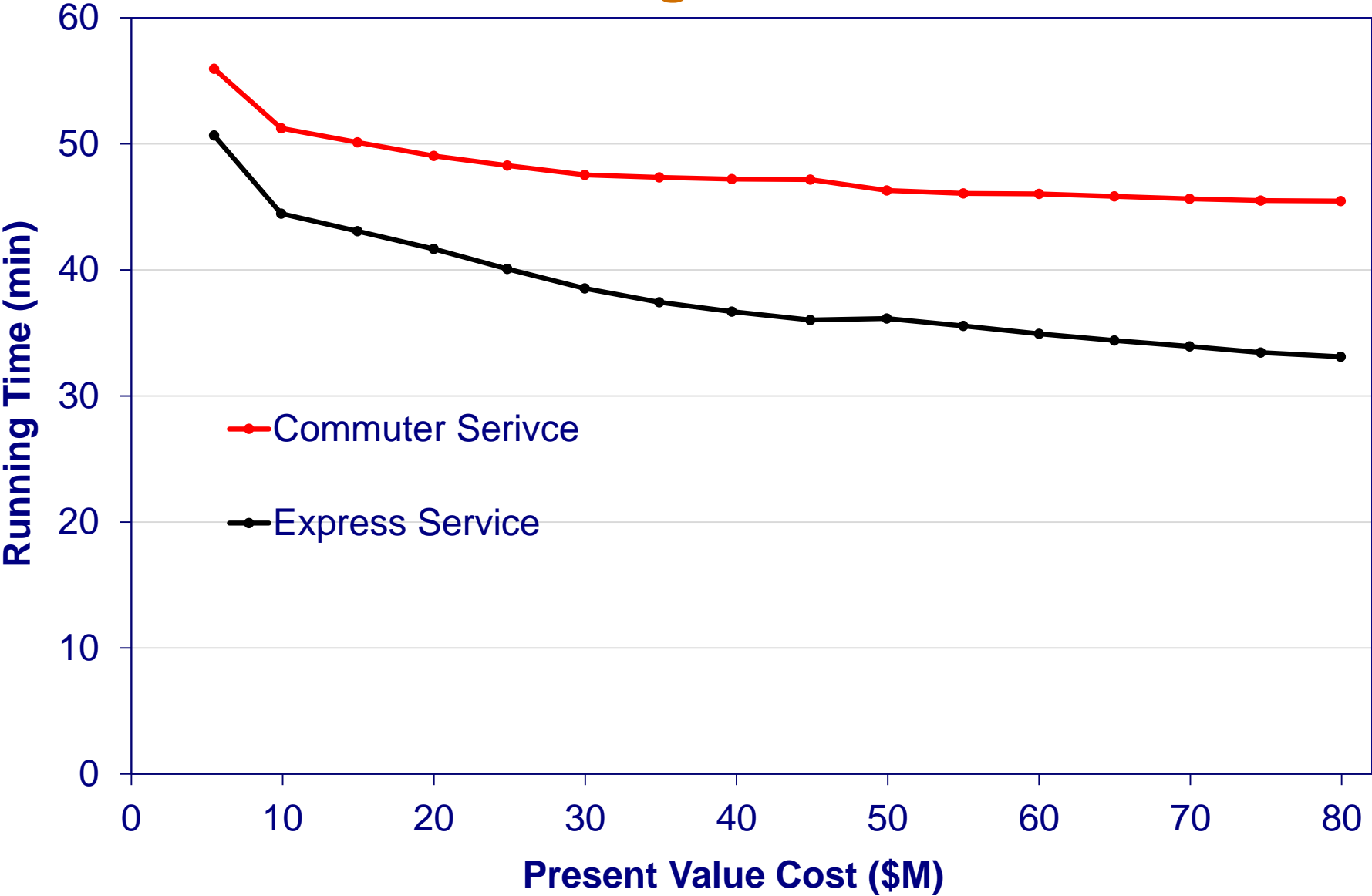


Grade Crossing Improvements

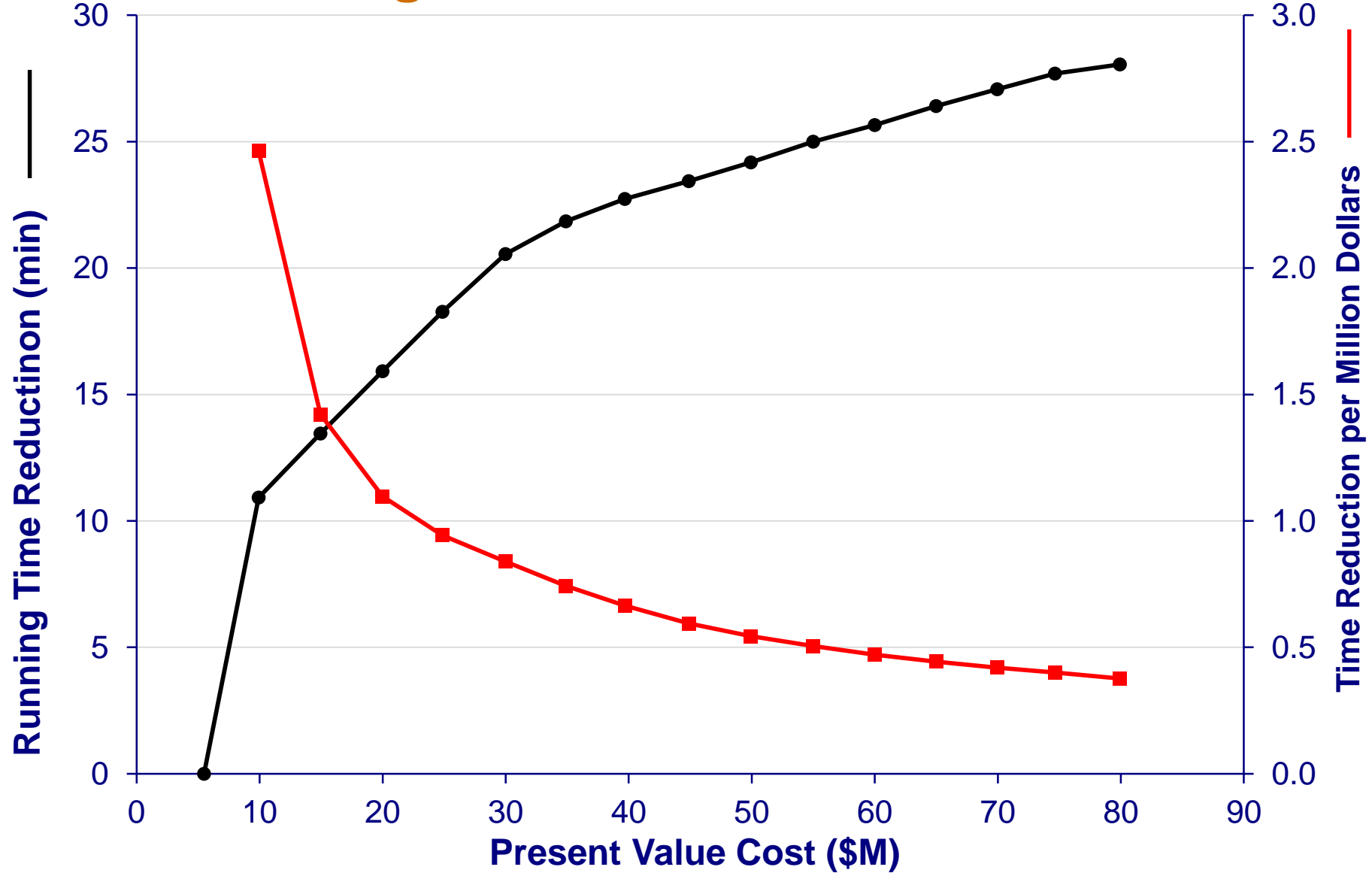


- Improved crossings shown in orange
- Only a subset of crossings are improved corresponding to segments with speed improvement
- Crossings near speed restrictions and unimproved segments do not need to be upgraded, minimizing investment

Service Running Time vs. PV Cost



Running Time Reduction vs. PV Cost



Summary

- Grade crossings and protection devices are one part of the integrated passenger rail corridor system
- Can't view in isolation due to interactions and train performance
- Requires a corridor approach to evaluate benefit of projects
- Optimization can prioritize and target investment for maximum return and suggest appropriate budgets for corridor upgrades



Thank you for your attention!

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